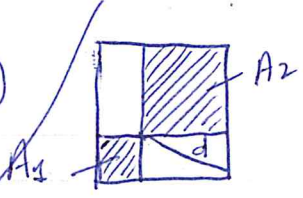
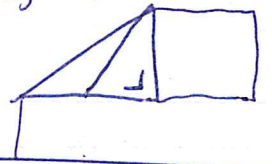


Geometry



Prove $d = A_1 + A_2$

Pythagoras



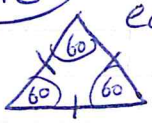
Congruent Δ 's mean identical Δ 's so whatever one has, other has - one you prove they are identical / congruent you can share their information.

- CONGRUENT IF....
- SSS** → All sides on each Δ are equal
 - SAS** → 2 sides and angle in between are equal
 - ASA** → 2 angles and side in between are equal
 - RHS** → Both Δ 's have 90° angle same Hypotenuse and one other side same length.

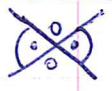
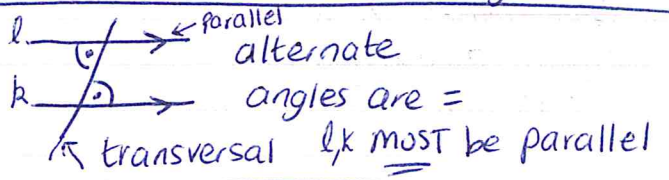
Collinear - on same line



isosceles Δ



equilateral Δ



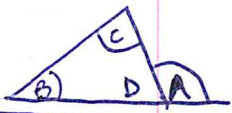
Vertically opp angles are =



Scalene



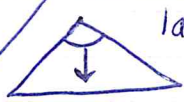
Corresponding angles are =



$A = B + C$
exterior angle

Q10 p83

Q11 p83



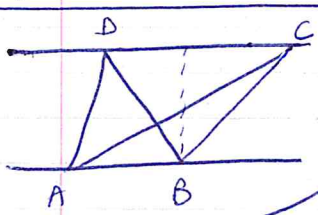
largest angle is opp longest side + converse

smallest angle is opp smallest side + converse

Two sides of a Δ are together $>$ third side

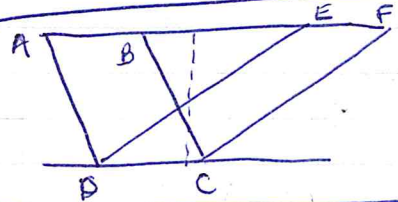
Area of $\Delta = \frac{1}{2}$ length one side \times \perp distance from that side to opp. vertex

Area of $\square =$ length one side \times \perp distance between that side & opp. side

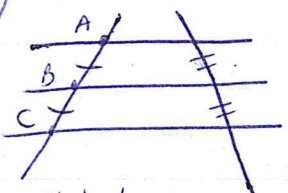
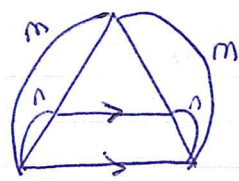
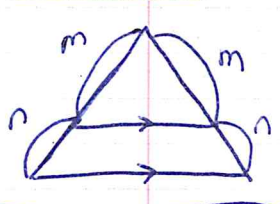


Area $\Delta ABC =$ Area ΔADB (same base same \perp height)

P87 Q8, P88 Q12



Area $\square EFCD =$ Area $\square ABCD$
same base same \perp distance between opp sides



A line parallel to one side of a Δ divides the other two sides in same ratio

Ex 2 pg 90

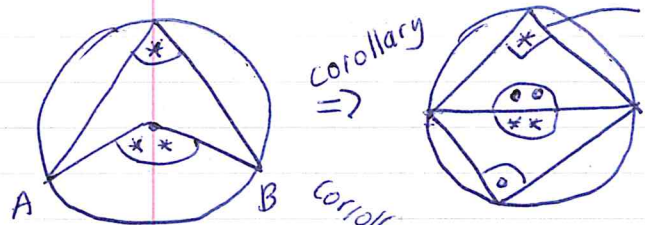
If 3 parallel lines cut off equal segments on some transversal then they will cut off equal segments on any other transversal.

Similar Δ 's are usually NOT identical They have same angles but are scaled versions of each other



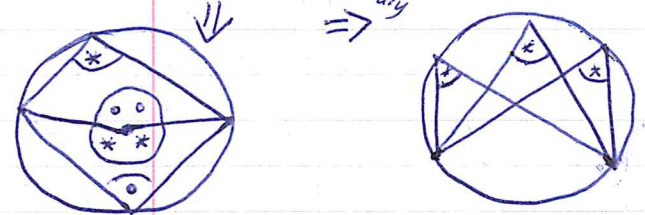
If two Δ 's are similar, then their sides are proportional, in order
 $\frac{\text{one side}}{\text{corresponding side}} = \frac{\text{any other side}}{\text{its corresponding side}}$

Circle Theorems



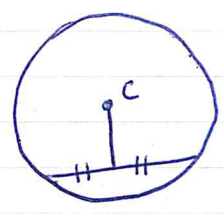
90° when arc is a diameter

Angle standing on a diameter is always 90°



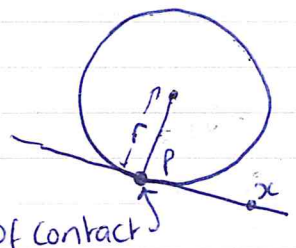
Angles \angle standing on same arc are equal

Opp angles in a cyclic quadrilateral add upto 180°



The \perp from centre of C to a chord bisects the chord.

A Tangent is \perp to the radius that goes to point of contact



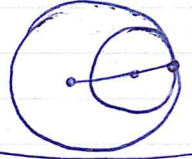
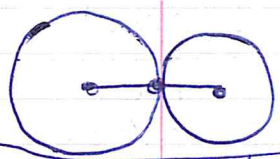
if P is on circle and a line Px is \perp to the radius to P, then Px is a tangent to the circle

!!! ALWAYS mark radii as equal - it REALLY helps to solve many q's.



E2 pg 97

A corollary is a statement attached to a theorem which has been proved and follows logically from it



If two circles intersect at one point only, then the two centres and the point of contact are collinear.

Q3 pg 99

Q4 pg 99

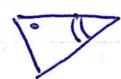
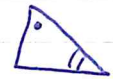
Q5 pg 99

→ 6, 7, 8, 9, 10 also → keep going → 19

Q24 pg 103

PRACTICE helps a LOT!

Rem



third angles must be =

use a pencil for messing with diagrams / putting in angles etc