Analysis of Applied Maths Leaving Cert Questions

The following analysis is based on the modified papers with mistakes removed. You can buy a booklet of papers, with answers at

the back, 1990-2015 for €10 (which all goes to support schools in Ethiopia and the needy in Ireland).

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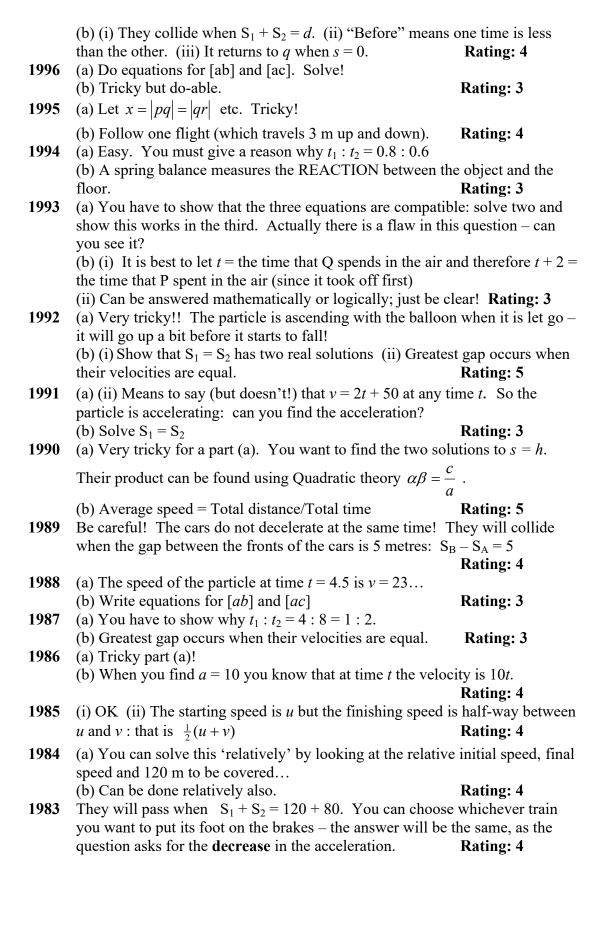
It is recommended that students try to solve questions on their own and then, if they get stuck, to look below for guidelines.

Ratings

- 1 = Easy
- 2 = Reasonably easy
- 3 = Regular
- 4 = Tricky
- 5 = Very difficult

Q1: Uniform Acceleration

2015	(a) Nice and straightforward: $s(7) - s(6) = 39$	
-010	(b) Not too difficult for a part (b)	Rating: 3
2014	(a) Requires a bit of work but OK	J
	(b) The key equation is: Power = Tv	Rating: 3
2013	(a) $s = 39.2$ leads to a quadratic with 2 solutions	D 41 2
2012	(b) Letters instead of numbers shouldn't mean it's too hard	
2012	(a) Not too hard. (b) You end up with a quadratic: use hard to factorise.	Rating: 3
2011	(a) Investigate AB then AC	Rating. 5
2011	(b) Average speed = total distance / total time	Rating: 3
2010	(a) Both parts are very manageable	J
	(b) This can be solved by equations or graphs.	Rating: 3
2009	(a) 'Let fall' means $u = 0$.	
2000	(b) Tricky enough with lots of letters	Rating: 4
2008	(a) (i) Easy (ii) Note that the distance travelled and the disp ground are two different things.	placement from the
	(b) Not too difficult for a part (b)	Rating: 3
2007	(a) It is travelling at 29.9 m/s at time $t = 2.5$.	
	(b) Average speed = total distance / total time: Form an equ	uation!
		Rating: 4
2006	(a) Remember you must give a reason why $t_1: t_2 = 3:1$.	D 41 2
2005	(b) They will pass when $S_1 + S_2 = 2(79.5)$	Rating: 3
2003	(a) Tricky for a part (a): Can be solved 'relatively'.(b) When in the sand, gravity pulls it down, the resistance is	s up. Use $F = ma$
	(b) When in the said, gravity pans it down, the resistance is	Rating: 4
2004	(a) Remember the times are t and $t - 1$.	
	(b) Use $F = ma$ both times. In (ii) $a = 0$, as the car is not ac	ccelerating.
••••		Rating: 2
2003	(a) Remember you must make equations for p to q and p to	
	(b) Tricky! Since the man just catches the bus, we can con the bus are going at the same speed when he catches it.	Rating: 4
2002	(a) If the starting point is the origin, then it hits the ground	O
	(b) Can be done with equations or with areas in a time-velo	
		Rating: 2
2001	(a) Draw time-velocity graphs.	D 41 2
2000	(b) The times are t and $t - T$.	Rating: 3
2000	(a) Two equations: One for t seconds the other for the first t(b) Try to synchronise the watches by finding their position	
	acceleration is over. Then proceed.	Rating: 4
1999	(a) Ugh! Power = Tv where T = tractive effort, v = velocity	
	(b) Very difficult to solve!	Rating: 5
1998	(a) Very tricky for a part (a). Average speed = Total distant	ce/Total time.
	Draw a time-velocity graph with times x , y , z for each part.	
	(b) Use $v^2 = u^2 + 2as$ twice! And then use $v = u + at$ twice	
1007	The numbers here are ugly. Shoot the exam-setter.	Rating: 5
1997	(a) Time-velocity graph.	



Q2: Relative Velocity

	Q2. Relative velocity	
2015	(a) (i) Regular. (ii) Start when B reaches the junction. Whe You have to go back in time to find the closest distance.	ere is A then?
	(b) Let $v_r = x\vec{i} + y\vec{j}$ and form two equations	Rating: 3
2014	(a) They will collide if $v_{XZ} = -kr_{XZ}$, for positive k. But you	ı have to
	'synchronise the watches' first: tricky!	
	(b) (i) OK (ii) requires clever use of chord-length	Rating: 4
2013	(a) Very tricky for (a): Find shortest distance in terms of θ	g .
	(b) The best way is to use the <i>t</i> -method in Fundamental App	plied Maths
		Rating: 4
2012	(a) Tricky enough to work out the angles	8
	(b) Regular nearest distance and 'within range' question	Rating: 3
2011	(a) Start when B reaches the junction; where is A?	<u> </u>
	(b) Examine the cases where she lands at B and at C.	Rating: 3
2010	(a) They will collide if $v_{BA} = -kr_{BA}$, for positive k.	
	(b) The apparent velocity of the wind means v_{WM}	Rating: 3
2009	(a) Long! When B reaches the junction, where is A?	O
2007	(b) Careful, now! Only 20 marks for this part.	Rating: 4
2008	(a) Regular question.	g -
	(b) Let the velocity of the wind $= x\vec{i} - 3\vec{j}$ both cases. And	let $v =$ the speed of
	the man.	Rating: 3
2007	(a) Find the shortest distance between them first.	14411119. U
_00.	(b) Let $t =$ the time. Good diagram needed.	Rating: 3
2006	(a) The fact that they are flying horizontally should never h	O
	mentioned – this means that the aeroplanes are not taking o	
	Draw a clear diagram to show where A heads, where the wi	_
	the resultant is 200 km/h NW.	-
	(b) Tricky: Draw a very clear diagram on graph paper.	Rating: 5
2005	(a) Shortest time means she heads straight across.	
	(b) In vector equations, $i = i$ and $j = j$.	Rating: 4
2004	(a) Draw a clear diagram. (b) Use the formula for distance	
	line.	Rating: 3
2003	(a) Let the velocity of the wind $= x\vec{i} + y\vec{j}$ both cases.	
	(b) OK. Be careful to answer precisely what you were asked	ed. Rating: 3
2002	(a) Draw a clear diagram of the "relative path".	5
2001	(b) Do some general algebra first!	Rating: 3
2001	(a) Be very careful with directions and signs.	D 4
2000	(b) Very tricky! Draw good diagrams.	Rating: 5
2000	They will intercept if P moves up u all the time, to stay level S as where they are at helf time S and	
1000	See where they are at half-time first!	Rating: 4
1999	(a) Good diagram needed. Use sine rule.(b) You will need differentiation to find the angle which leads to be a sine rule.	eaves the "relative
	path's angle" as small as possible. Ugh!!	Rating: 5
1998	(a) Horrible part (a)! Let $t = $ the time and examine the direct	0
1770	(the yacht travelling $5t$ and the speedboat $20t$). Use the sine	
	(b) Ugh ² !! Use the same method as in part (a) but when yo	
	rule, you must use both solutions (one in each of the first 2	
	, j and mast mast and a sum of the first 2	1

1997	proceed to solve both! Whoever set this question should hat Daniel O'Donnell records non-stop for a week. Let the velocity of the wind $= x\vec{i} + y\vec{j}$. You will end up with	Rating: 5 ⁺
	degree equations. Subtract them. Then get x in terms of y a 'substitution'. It is interesting to note that solving two second equations is not on the Maths course.	nd degree Rating: 4
1996	Let the velocity of the ship $C = x\vec{i} + y\vec{j}$. Its magnitude is 32	2: so form an
	equation, then another, and solve! Also a good diagram is e	ssential. Rating: 4
1995	(a) Pythagoras comes into play here.	
	(b) (i) is easy (ii) needs the <i>t</i> -method, as in 1998's question.	_
1994	(a) Easy - if you study the situation when B reaches the inte	
		Rating: 3
1993	(a) Let the velocity of the wind $= x\vec{i} + y\vec{j}$.	
		Rating: 1
1992	(i) should read "the directions in which the aeroplane must h	nead"
	(ii) Two good big diagrams are needed	D - 4' 2
1001		Rating: 3
1991	Tricky! If the wind appears to come from the direction $2\vec{i}$	=
1000	1 3 1	Rating: 4
1990	(a) Fine. (b) The best thing is to wait until A gets to the jun-	Rating: 3
1000	proceed. Let the velocity of the wind $= x\vec{i} + y\vec{j}$. (i) Solve simultaneous	0
1989		
1000		Rating: 2
1988	(a) Two clear diagrams needed.(b) Not too challenging	Rating: 2
1987	(i) Straightforward (ii) If you find the shortest distance between	O
1707	use Pythagoras' Theorem; if not use the Cosine Rule or Sin	
	• •	Rating: 3
1986	Reject the solution $v = 0$.	J
	(i) Wait until A gets to the junction. (ii) Pythagoras.	Rating: 4
1985	Q 5 (a) Good diagram of the "relative path" is needed.	
1001	· ·	Rating: 4
1984	A good clear diagram of the relative path will see this through	=
1003		Rating: 3
1983	Let the velocity of the wind $= x\vec{i} + y\vec{j}$. Extremely tricky: all	=
	numbers.	Rating: 5

Q3: Projectiles

2014 (a) Very nasty! Ugly numbers, too. The difference between $\frac{-b + \sqrt{b^2 - 4ac}}{2a}$ and $\frac{-b - \sqrt{b^2 - 4ac}}{2a}$ is $\frac{2\sqrt{b^2 - 4ac}}{2a} = \frac{\sqrt{b^2 - 4ac}}{a}$ ugh!! (b) Use landing angle equal to β Rating: 5 2013 (a) Nice projectile on a horizontal plane (b) Can be done with calculus or as in textbook Rating: 3 2012 (a) OK question about range on the horizontal plane (b) Here the trigonometry might be tricky – but solvable. Rating: 3 2011 (a) Regular target practice question. (b) i-speed stays the same, j-speed will be multiplied by e . Rating: 3 2010 (a) Find time first. (b) Landing angle l is given by $\tan l = \frac{-v_y}{v_x} = \frac{2}{\sqrt{3}}$ Rating: 3 2009 (a) What a nasty part (a)! (b) Not so bad, to compensate. Rating: 4 2008 (a) Be clear what you are given and what you want to find. (b) The x -acceleration is positive; The y -acceleration is negative Rating: 4 2007 (a) Straightforward. (b) The landing angle is 45 degrees. Rating: 3 2006 (a) (i) OK (ii) The direction of the vector $x\vec{i} + y\vec{j}$ is $\tan^{-1}\frac{y}{x}$. (iii) Use $m_1, m_2 = -1$ or 'dot product'. (b) Straightforward: find S_x when $S_y = 0$. Rating: 3 2005 (a) Tricky for a part (a). When a ball bounces, the i-velocity remains the same, but the j-velocity is multiplied by $-e$. (b) You need to open Page 9 of the Mathematical Tables, and use product-to-sum formulae, amongst others. Rating: 5 2004 (a) Assume the particle just scrapes the ceiling. (b) You'll need to use a formula for $\tan(\theta - \alpha)$ eventually. Rating: 4 2003 (a) You must derive formulae for the range and the maximum height – no ready-made formulae allowed! (b) OK. Rating: 3 2001 (a) Let the point of projection be the origin. The target is (21, 1). (b) Yuk! Find speed and velocity vector of particle as it hits the plane for the first time. Then see 2005 above. Rating: 5 2000 (a) Classic question if you know your basics. (b) Again, know your theory! Rating: 3	2015	(a) Very long with horrible numbers for a part (a)(b) Not too difficult for a part (b)	Pating 1
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 (a) Solve S_y = 14.7 (using the quadratic formula). (b) Fine question. (a) Let the point of projection be the origin. The target is (21, 1). (b) Yuk! Find speed and velocity vector of particle as it hits the plane for the first time. Then see 2005 above. (a) Classic question if you know your basics. (b) Again, know your theory! Rating: 3 	2003		
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 (a) Let the point of projection be the origin. The target is (21, 1). (b) Yuk! Find speed and velocity vector of particle as it hits the plane for the first time. Then see 2005 above. Rating: 5 (a) Classic question if you know your basics. (b) Again, know your theory! Rating: 3 	2002		D 4' 2
(b) Yuk! Find speed and velocity vector of particle as it hits the plane for the first time. Then see 2005 above. Rating: 5 2000 (a) Classic question if you know your basics. (b) Again, know your theory! Rating: 3	2001	· · · · · · · · · · · · · · · · · · ·	0
first time. Then see 2005 above. Rating: 5 2000 (a) Classic question if you know your basics. (b) Again, know your theory! Rating: 3	4001		. ,
2000 (a) Classic question if you know your basics.(b) Again, know your theory!Rating: 3		· · · · · · · · · · · · · · · · · · ·	-
(b) Again, know your theory! Rating: 3	2000		
,, ,			Rating: 3
1999 (a) This is about landing angle. In this case, the landing angle is θ .	1999		0

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have to be calculated. It takes ages.
                                                                         Rating: 5
       (a) Target: use \frac{\sin A}{\cos A} = \tan A and \frac{1}{\cos^2 A} = 1 + \tan^2 A to get a quadratic in tan A.
1998
        (b) (i) OK (ii) Tricky but do-able!
                                                                         Rating: 4
1997
        (a) Not bad!
        (b) 2\beta is the angle with the vertical! Be careful.
                                                                         Rating: 4
1996
        (a) The numbers in the quadratics are nice (if you divide by 4.9).
        (b) Tricky but do-able.
                                                                         Rating: 3
1995 (a) (i) Let \vec{u} = x\vec{i} + y\vec{j} etc. (ii) OK (iii) Speed = \sqrt{{v_x}^2 + {v_y}^2}
        (b) (i) OK (ii) You must prove \tan l < 0 (where l = \text{landing angle}).
                                                                         Rating: 4
       (a) Let u_x = p and u_y = q ...
        (b) (i) Let the origin be the point of projection (ii) Speed = \sqrt{{v_x}^2 + {v_y}^2}
       (a) Regular.(b) (i) No problem (ii) \tan l = -\frac{v_y}{v_x} when S_y = 0 Rating: 3
       (i) Target: use \frac{\sin A}{\cos A} = \tan A and \frac{1}{\cos^2 A} = 1 + \tan^2 A to get a quadratic in tan A.
1992
        (ii) To get maximum clearance, we want the maximum height at s_x = 18.
            Differentiate s_v with respect to \alpha.
                                                                         Rating: 4
1991
        (i) Regular.
        (ii) Tricky. When a ball bounces, the i-velocity remains the same, but the j-
        velocity is multiplied by -e.
                                                                         Rating: 4
1990
        (i) Landing angle.
        (ii) Lands perpendicularly.
                                                                         Rating: 4
        (i) Fine (ii) Trigonometry equation (iii) Be careful: is 2H = 5R or 2R = 5H?
1989
                                                                         Rating: 2
1988
        (a) Not difficult. Use g = 9.8.
        (b) See 1991 (above) for 'bouncing theory'. It will take off at an angle of
        45° to the hill, and hence at 90° to the horizontal. Surely, if it rises vertically
        then it is bound to strike p again on the second bounce?!
                                                                         Rating: 4
1987
        (a) Lands perpendicularly. (b) Examine the second half of the journey from
        the highest point to q.
                                                                         Rating: 4
        Remember that if you can find that \tan \alpha = 4 then you can work out the sine
1986
        and cosine easily. At t_1 the flight is perpendicular to the original flight.
        Use m_{1} = -1
                                                                         Rating: 4
1985 Q2: (i) OK (ii) Regular (iii) Use the quadratic formula and simplify!
                                                                         Rating: 3
1984
        Since the particle strikes the plane while moving horizontally, the landing
        angle is the angle of the inclined plane.
                                                                         Rating: 4
        Q4: It is not clear, but you may assume that the target is not moving under
        gravity. It is travelling at a constant speed at a 45° angle. Take it to be a bird
        in flight – not a projectile.
                                                                         Rating: 3
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(b) Very difficult and long! Potential energy and kinetic energy (at landing)

Q4: Pulleys & Wedges

2015	(a) Not bad. In (iii) you use conservation of momentum of	the whole system,
	treating the three connected particles as a 'train'	
	(b) Difficult wedge question, made easier by the fact that the	_
		Rating: 4
2014	(a) Unusual apparatus, but when you think about it, it's OK	. If A moves 1
	metre, B will move 2 m. Hence their accelerations are a an	d 2a.
	(b) Regular wedge question.	Rating: 4
2013	(a) In (ii) 6kg has acceleration $f+g/8$ and 7kg has $a = f-g/8$	
	(b) Accelerations are a , b and $(a + b)/2$	Rating: 2
2012	(a) After B hits the ground, $T = 0$	_
	(b) Accelerations are a , b and $(a + b)/2$	Rating: 3
2011	(a) It's an inclined plane – not a wedge.	O
	(b) 4 equations with four unknowns.	Rating: 3
2010	(a) Nice and easy.	8
	(b) Two particles on a wedge. Not bad, though.	Rating: 3
2009	(a) Nice regular pulley for starters.	9
_00>	(b) The accelerations are: m_1 : a , 1 kg: b and C: $\frac{1}{2}(a+b)$.	Rating. 4
2000	•	raung. 1
2008	(a) The accelerations are <i>a</i> and 2 <i>a</i> . This got 30 marks.	
	(b) Yuk! But don't be put off. You only needed a force dis	
2007	the marks. The tensions in the string act on the wedge also	_
2007	(a) Not bad: draw a clear force-diagram. (b) The acceleration	
•••	6 kg: b and B: $\frac{1}{2}(a+b)$.	Rating: 3
2006	(a) Regular pulley question.	5
•••	(b) Regular wedge question.	Rating: 3
		-
2005	(a) OK	_
2005	(b) The 3 kg falls, then suddenly the 5 kg is picked up – yo	
2005		rticles.
	(b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the part	
2005	(b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the part (a) Regular pulley question.	rticles. Rating: 4
2004	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the partial (a) Regular pulley question. (b) Regular wedge question. 	rticles.
	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the partial. (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. 	rticles. Rating: 4 Rating: 3
2004 2003	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the partial (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). 	rticles. Rating: 4
2004	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the partial (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. 	Rating: 3 Rating: 2
2004 2003 2002	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the part (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. 	Rating: 3 Rating: 2 Rating: 3
2004 2003	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the partial (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. 	Rating: 3 Rating: 2
2004 2003 2002	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the part (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. 	Rating: 3 Rating: 2 Rating: 3
2004 2003 2002 2001	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the part (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. 	Rating: 3 Rating: 2 Rating: 3
2004 2003 2002 2001	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the partial (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. (c) Regular wedge question. (d) (i) Easy (ii) Each particle is propelled up by a Reaction. 	Rating: 3 Rating: 3 Rating: 3 Rating: 2 Rating: 2 Rating: 3 Rating: 3
2004 2003 2002 2001 2000	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the partial (a) Regular pulley question. (b) Regular wedge question. (c) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. 	Rating: 3 Rating: 3 Rating: 3 Rating: 2 Rating: 2 Rating: 3 Rating: 3
2004 2003 2002 2001 2000	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the partial (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. (c) Regular wedge question. (d) (i) Easy (ii) Each particle is propelled up by a Reaction. 	Rating: 3 Rating: 3 Rating: 3 Rating: 2 Rating: 2 Rating: 3 Rating: 3
2004 2003 2002 2001 2000	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the particle. (a) Regular pulley question. (b) Regular wedge question. (c) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. (c) Regular wedge question. (d) Easy (ii) Each particle is propelled up by a Reaction weight. Use F = ma for each particle. 	Rating: 4 Rating: 3 Rating: 2 Rating: 3 Rating: 2 Rating: 3 and down by a Rating: 3
2004 2003 2002 2001 2000 1999	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the particle. (a) Regular pulley question. (b) Regular wedge question. (c) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. (c) Regular wedge question. (d) Easy (ii) Each particle is propelled up by a Reaction weight. Use F = ma for each particle. (d) Regular wedge question. 	Rating: 4 Rating: 3 Rating: 3 Rating: 2 Rating: 3 Rating: 3 and down by a Rating: 3 exerted by A on B
2004 2003 2002 2001 2000 1999	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the particle. (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. (a) (i) Easy (ii) Each particle is propelled up by a Reaction weight. Use F = ma for each particle. (b) Regular wedge question. (a) OK (b) Ugh! Very tricky question because the friction 	Rating: 4 Rating: 3 Rating: 3 Rating: 2 Rating: 3 Rating: 3 and down by a Rating: 3 exerted by A on B
2004 2003 2002 2001 2000 1999	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the particle. (a) Regular pulley question. (b) Regular wedge question. (c) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. (c) Regular wedge question. (d) Easy (ii) Each particle is propelled up by a Reaction weight. Use F = ma for each particle. (b) Regular wedge question. (a) OK (b) Ugh! Very tricky question because the friction has an equal but opposite anti-friction which propels A force. 	Rating: 4 Rating: 3 Rating: 2 Rating: 3 Rating: 2 Rating: 3 and down by a Rating: 3 exerted by A on B ward! Should never Rating: 5
2004 2003 2002 2001 2000 1999	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the particle. (a) Regular pulley question. (b) Regular wedge question. (c) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. (a) (i) Easy (ii) Each particle is propelled up by a Reaction weight. Use F = ma for each particle. (b) Regular wedge question. (a) OK (b) Ugh! Very tricky question because the friction has an equal but opposite anti-friction which propels A for have been asked. It's a university question. 	Rating: 4 Rating: 3 Rating: 2 Rating: 3 Rating: 2 Rating: 3 and down by a Rating: 3 exerted by A on B ward! Should never Rating: 5
2004 2003 2002 2001 2000 1999	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the particle. (a) Regular pulley question. (b) Regular wedge question. (a) Regular pulley question. (b) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular wedge question. (b) Regular wedge question. (a) (i) Easy (ii) Each particle is propelled up by a Reaction weight. Use F = ma for each particle. (b) Regular wedge question. (a) OK (b) Ugh! Very tricky question because the friction has an equal but opposite anti-friction which propels A forwhave been asked. It's a university question. (a) OK (b) Easy enough; the accelerations of C and E are a graph of the constant of the property of the particle of the particle	Rating: 3 Rating: 2 Rating: 3 Rating: 2 Rating: 3 Rating: 3 and down by a Rating: 3 exerted by A on B ward! Should never Rating: 5 and 2a. Rating: 2
2004 2003 2002 2001 2000 1999 1998	 (b) The 3 kg falls, then suddenly the 5 kg is picked up – yo conservation of momentum to find the new speed of the particle. (a) Regular pulley question. (b) Regular wedge question. (c) Inclined plane (not a wedge). (a) SHM!! Doesn't belong here. (b) Relative accelerations: be careful. Regular pulley question. (a) Regular pulley question. (b) Regular wedge question. (a) (i) Easy (ii) Each particle is propelled up by a Reaction weight. Use F = ma for each particle. (b) Regular wedge question. (a) OK (b) Ugh! Very tricky question because the friction has an equal but opposite anti-friction which propels A for have been asked. It's a university question. 	Rating: 3 Rating: 2 Rating: 3 Rating: 2 Rating: 3 Rating: 3 and down by a Rating: 3 exerted by A on B ward! Should never Rating: 5 and 2a. Rating: 2

1995	(i) OK (ii) Easy (iii) You must regard the whole apparatus	
	0.9 kg which then becomes a heavier "train" of mass 1.1 kg picked up. Use conservation of momentum. (iv) OK.	g when the 0.2 kg is Rating: 4
1994	(i) Easy (ii) OK (iii) Tricky but do-able.	Rating: 3
1993	Very hard wedge question. Five equations (2 for each part	
	wedge). The strings at the top of the wedge pull on the wedge	•
1992	them out! Assume that the accelerations are: m : upwards a ; $3m$: u	Rating: 5
1992	Assume that the accelerations are. m . upwards a , $3m$. upwards $\frac{1}{2}(a+b)$.	Rating: 3
1991	This question was a bit unclear. The block is a bus which is	0
	an acceleration $\frac{g}{3}$ to the right.	Rating: 4
1990	(i) The accelerations are: $\mathbf{A} : a ; \mathbf{B} : b ; \mathbf{2m} : \frac{1}{2}(a+b)$.	_
	(ii) Ignore the statement "If $\mu < \frac{3}{4}$ " (iii) OK	Rating: 3
1989	Q 5: Tricky wedge question.	Rating: 4
1988	(i) Let accelerations be: 6 kg : $a \text{ (right)}$; 2 kg : $b \text{ (up)}$; 4 l	$\mathbf{kg}: \frac{1}{2}(a+b)$ down.
		Rating: 3
1987	That's a funny looking 30°! This is quite straightforward.	
1986	What makes this question tricky is the friction at the ground	d. It will be $\frac{1}{3}$ of
	the reaction at the ground, not $\frac{1}{3}$ of 4mg.	Rating: 3
1985	(i) OK (ii) OK (iii) My booklet has a new version - the ori	ginal was a
	disgracefully unclear piece of garbled English.	Rating: 4
1984	(i) If 8 kg goes up with acceleration a then C goes down with	
1002	(ii) Answer precisely what is asked!	Rating: 3
1983	Very nice question!	Rating: 2

Q5: Collisions

2015	(a) Quite a regular question. Take care with the numbers.	
	(b) Quite nice for a part (b)	Rating: 2
2014	(a) Regular direct collision	
	(b) Regular oblique collision	Rating: 3
2013	(a) Not bad at all	
	(b) There's always going to be some question with a new tw	wist: it's only fair.
You sl	hould be able to think your way through this neat problem	Rating: 3
2012	(a) OK question on direct collisions	
	(b) Oblique collisions: not too demanding	Rating: 3
2011	(a) To 'rebound' means to move in the opposite direction (a	apparently)
	(b) A lot of managing and manipulating equations.	Rating: 4
2010	(a) Regular direct collision.	
	(b) You need to remember that $0 \le e \le 1$	Rating: 2
2009	(a) This is a reasonable direct collision. (b) Don't be put of	f by the strange lay-
	out: turn the page around!	Rating: 4
2008	(a) Not too bad. Rather a lot of algebra with the letter <i>e</i> .	
	(1) Γ : 14. Γ :	$-m_2$
	(b) Find the tan of the angle using the formula $\tan \theta = \pm \frac{m_1}{1+}$	$m_1 m_2$ for the
	angle between two lines.	Rating: 4
2007	(a) OK. (ii) asks for impulse	Raung. 4
2007	(b) OK. Get velocity of A in terms of i and j.	Rating: 3
2006	(a) Quite long for a part (a). The answer comes out nicely	0
2000	errors in the algebra.	ir you can avoid
	(b) Easier if you turn the page sideways and look at the diag	oram with the i-axis
	as the line of centres at impact.	Rating: 3
2005	(a) Regular direct collision question.	Rating. 5
2005	(b) Regular oblique collision question.	Rating: 3
2004	(a) P goes left, Q goes right (after impact).	14441119. U
200.	(b) Equal speeds gives and extra equation.	Rating: 4
2003	(a) Rather long and tricky.	
2000	(b) Let $v =$ the speed of A after impact. The definition of 'i	impulse' is on page
	40 of the mathematical tables.	Rating: 4
2002	(a) Needs care with the algebra.	
	(b) Tricky. Do a large diagram to show all the angles.	Rating: 4
2001	(a) Ok. (b) The speeds before might be x and $x + u$.	Rating: 3
2000	(a) Be careful with the signs!	ð
	(b) The best way to get the angle of deflection is to use the	formula
	$\tan \theta = \frac{m_1 - m_2}{1 + m_1 m_2}$	Rating: 4
1000		1 (') 171
1999	(a) Ugh! What a horror for a part (a). Do 1994 first (similar	
	best way is to remember that the ratio of the distances is pro	oportional to the
	ratio of the speeds. (b) Not pige numbers!	Dating: 5
1000	(b) Not nice numbers! (c) (i) The Conservation of Momentum equation delivers	Rating: 5
1998	(a) (i) The Conservation of Momentum equation delivers. $a = b + a$ and if a is positive than $a > b$ (ii) Remember	Note that if
	a = b + c and if c is positive then $a > b$. (ii) Remember (b) Use conservation of energy and then collisions	
	(b) Use conservation of energy and then collisions.	Rating: 4

1997 1996	(a) OK (b) Regular oblique collision.(a) Opposite direction: one velocity is positive, one is negative.	Rating: 3
1770	(b) After impact, $\sqrt{{v_i}^2 + {v_j}^2} = \frac{u}{2}$	Rating: 3
1995	(a) Opposite direction: one velocity is positive, one is negative. (b) Let the inclined plane be the x-axis. For impacts $u_x = 0$	
1994	Very tricky, so be careful! The best way is to remember the distances is proportional to the ratio of the speeds.	at the ratio of the Rating: 5
1993	Once you get the speeds as i-j vectors, it's an easy question	· ·
1992	You must make sure that the i-axis is the line of centres at i very accurate diagram showing the spheres at the moment coins or a compass. Once you get the speeds as i-j vectors,	of impact, using
1991	(a) Be careful with the algebra!	J
	(b) Use $\tan \theta = \pm \frac{m_1 - m_2}{1 + m_1 m_2}$. You have to solve for both \pm	to find the correct
1990	answer. The algebra is messy. Long. I've got rid of the original question, which would have had took me 1 hr and 25 minutes to get the right answer. This ronce you get the speeds as vectors.	
1989	Be careful! Make use of the fact that the angle of deflection. There are many ways of doing this.	
1988	Two direct collisions and an impact. Do not be put off by t numbers, surds and fractions. Just keep going, with accuracy	he awkward
1987	Nice question with nice answers – if you are careful.	Rating: 2
1986	(a) (i) and (ii) are separate parts with different answers.	
1985	(b) One along each axis, as it transpires. Q4: (i) Very tricky (ii) Differentiate or assume $e = 0$ (iii)	Rating: 3
1703	Q4. (1) Very tricky (11) Differentiate of assume $e = 0$ (111)	Rating: 5
1984	(a) Definition of Impulse is on P 40 of Maths tables. Tricky	
	(b) One along each axis.	Rating: 4
1983	Nice question with nice answers – if you are careful and do with fractions.	n't mind dealing Rating: 2

Q6: SHM & Circular Motion

2015	(a) Horrible part (a) in which the hint makes the question has	arder. Requires
	knowledge of hydrostatics	
	(b) Tricky motion in a vertical circle. It leaves when $R = 0$	Rating: 5
2014	(a) Nasty enough!	
	(b) Very tricky, especially (ii). Ugh!	Rating: 5
2013	(a) Knowledge of hydrostatics is needed.	
	(b) OK but (ii) is sort of a trick question: it flies off horizon	tally and you've to
	find how long to fall 3 <i>l</i> under gravity – simple!	Rating: 4
2012	(a) SHM formulae needed.	<u> </u>
	(b) Motion in a vertical circle: challenging!	Rating: 4
2011	(a) Differentiate twice with respect to t.	O
	(b) Good, large, clear diagram will help.	Rating: 3
2010	(a) Ridiculously difficult for a part (a). In (ii) use conserva	0
	find speed (b) Not as hard as part (a)!	Rating: 5
2009	(a) Nice classic SHM question.	
2007	(b) Max accel = $\omega^2 A$. Max force = $m\omega^2 A$. So, $m\omega^2 A \le$	uR Rating. 1
2000	• •	ε μικ ixating. τ
2008	(a) Quite challenging for a part (a).	D 41 4
2005	(b) Tricky question of motion in a horizontal circle.	Rating: 4
2007	(a) Tricky for a part (a). The length is $l_o + d + x$.	
	(b) Conservation of energy, then conservation of momentum	
	conservation of energy again.	Rating: 4
2006	(a) Just use your formulae.	
	(b) Difficult. Maximum l will occur when the particle is or	-
	sliding up the side of the cone; hence friction is down the	side of the cone.
	Remember: The resultant force to the centre = $m\omega^2 r$.	Rating: 4
2005	(a) Regular circular motion question.	
	(b) The particle does SHM for half the journey and then tra	vels with a constant
	speed for the rest of the journey.	Rating: 3
2004	(a) Motion in a vertical circle. Very tricky.	
	(b) (i) Differentiate twice to get a (ii) OK	Rating: 4
2003	(a) OK if you know your formulae.	
	(b) Motion in a vertical circle. Tricky.	Rating: 4
2002	(i) Motion in a vertical circle. (ii) $\theta = 180^{\circ}$ at this point.	Rating: 4
2001	(a) SHM formulae needed.	_
	(b) Hooke's Law with SHM.	Rating: 3
2000	(a) Regular circular motion.	O
	(b) Tricky! There are two strings and gravity.	Rating: 5
1999	(a) SHM formulae.	8
	(b) SHM with Hooke's Law.	Rating: 3
1998	(a) (i) Differentiate twice to get acceleration.	8
		- b ²
	(ii) Must know: The amplitude of $a \sin x + b \cos x$ is $\sqrt{a^2}$	
100=	(b) Tricky: SHM with hanging particle.	Rating: 4
1997	(a) Very tricky (i) Statics question (ii) The particle now sv	_
1001	motion in a vertical circle.	Rating: 5
1996	(a) Regular SHM using formulae.	

(a) Circular motion. Periodic time = $\frac{2\pi}{\omega}$. 1995 (b) Motion in a vertical circle. Rating: 4 1994 (i) Easy (ii) Gravity and the glue keep the particle down (iii) it will leave when the acceleration has magnitude 9.8 Rating: 3 1993 (a) SHM formulae. (b) Very trick SHM with a vertical string. Rating: 4 1992 (a) See 1998 above (b) (i) Prove that $a = -\omega^2 x$ (ii) The particle does SHM for this part the journey (iii) it then travels with a constant speed for the rest of the journey. Rating: 3 1991 (a) Tricky enough circular motion question. (b) SHM of a particle on a vertical string. Rating: 4 1990 (a) You need to be careful here – and clear in your thinking. SHM. (b) Wonderful question about tides. Not plain sailing though! Rating: 4 1989 (i) Tricky SHM with Hooke's Law. (ii) OK (iii) OK Rating: 4 1988 (i) Circular motion (you may give the answer in terms of v) (ii) OK (iii) Let x = the distance above the table. Start the whole thing again with new radius, new tension and new angle. Very difficult. Rating: 3 1987 SHM with a vertical string. Rating: 3 1986 (a) If you can figure out where p and q lie, the rest is OK. You can examine the journey from o to q. (b) Just Hooke's Law. A statics question. Rating: 4 1985 (i) OK (ii) OK (iii) Very tricky (iv) Presumably from a stationary position to a position of slackness. Rating: 5 1984 (a) Regular circular motion question. (b) Examine the forces etc on each particle separately. They go in circles of radius y and 3y. Rating: 3 1983 **Q7**: (i) Friction is up the side of the cone. (ii) Friction is down the side of the cone. (See 2006) Rating: 4 **Q8**: Excellent but challenging SHM question which requires thought. (HINT: the centre of oscillation is where x = 0.) Rating: 4

(b) (i) Prove that $a = -\omega^2 x$ (ii) The particle does SHM for half the journey and

then travels with a constant speed for the rest of the journey. Rating: 4

Q7: Statics

	Q1. Station	
2015	(a) Nice and straightforward: they must want more students	s to do the statics
	question because part (b) is a regular double-ladder.	Rating: 2
2014	· · · · · · · · · · · · · · · · · · ·	O
2014	(a) It's just a centre of gravity question (as in the textbook)	
	(b) The line of action of the normal reaction is towards the	centre of the base
		Rating: 3
2013	(a) Trick enough. The magnitude of the 12 and 5 combined	S
2010		
• • • •	(b) Not very nice at all!	Rating: 4
2012	(a) Not too bad but tricky enough.	
	(b) Rather difficult!	Rating: 4
2011	(a) Hooke's law states that: $T = k(l-l_0)$	8
2011		Dating 4
• • • •	(b) Tricky statics question.	Rating: 4
2010	(a) Assume it's on point of slipping	
	(b) Very large diagrams with distances and forces (drawn u	sing a compass on
	graph paper) will help you a lot. Only one equation needed	-
	graph paper) will help you a real emy ene equation needed	Rating: 4
2000	() 01 (1) 1111	O
2009	(a) Ok (b) Who was mean to the examiner the morning he	-
	Did someone scratch the paintwork on his new car? Ooof!	Rating: 5
2008	(a) Nice ladder question for starters.	
	(b) Not bad for a part (b). The best policy is to write down	the three equations
	· · · · · · · · · · · · · · · · · · ·	the three equations
	for each rod. Rating: 3	
2007	(a) Holy Moly! What a part (a)!! Ugh!	
	(b) Nicer than part (a). F will be perpendicular to the radiu	s to the kerb.
	() 1 () 1 1	Rating: 4
2006	(a) Very easy.	
2000	· · · · · · · · · · · · · · · · · · ·	D / 2
	(b) Quite nice for a part (b). Friction = $(\tan \lambda)R$.	Rating: 2
		0
2005	(a) Assume it is just on the point of moving up the plane.	8
2005		G
2005	(b) Get 3 equations for the system and 3 for the lighter rod	(as it will be the
	(b) Get 3 equations for the system and 3 for the lighter rod first to slip).	G
2005	(b) Get 3 equations for the system and 3 for the lighter rod first to slip).(a) Straightforward ladder question.	(as it will be the Rating: 3
	(b) Get 3 equations for the system and 3 for the lighter rod first to slip).	(as it will be the
	(b) Get 3 equations for the system and 3 for the lighter rod first to slip).(a) Straightforward ladder question.(b) Not difficult: just get forces and angles.	(as it will be the Rating: 3
2004	(b) Get 3 equations for the system and 3 for the lighter rod first to slip).(a) Straightforward ladder question.(b) Not difficult: just get forces and angles.Reasonably straightforward. The rod is perpendicular to the	(as it will be the Rating: 3 Rating: 3 e radius at the point
2004 2003	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3
2004 2003 2002	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. 	(as it will be the Rating: 3 Rating: 3 e radius at the point
2004 2003	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3
2004 2003 2002 2001	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3
2004 2003 2002	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3
2004 2003 2002 2001	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3 Rating: 4
2004 2003 2002 2001 2000	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3
2004 2003 2002 2001	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3 Rating: 4 Rating: 4
2004 2003 2002 2001 2000 1999	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3 Rating: 4 Rating: 4 Rating: 3
2004 2003 2002 2001 2000	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3 Rating: 4 Rating: 4
2004 2003 2002 2001 2000 1999	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 4 Rating: 4 Rating: 4 Rating: 5
2004 2003 2002 2001 2000 1999 1998	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! (a) (i) Draw good diagrams (ii) Hooke's Law: F = k(l - l_o) 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 4 Rating: 4 Rating: 4 Rating: 5
2004 2003 2002 2001 2000 1999 1998 1997	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! (a) (i) Draw good diagrams (ii) Hooke's Law: F = k(l - l_o) (b) Tricky 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 4 Rating: 4 Rating: 4 Rating: 5 Rating: 5
2004 2003 2002 2001 2000 1999 1998	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! (a) (i) Draw good diagrams (ii) Hooke's Law: F = k(l - l_o) (b) Tricky (a) Draw a clear diagram. (b) The worst situation will be weare 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3 Rating: 4 Rating: 4 Rating: 5 Rating: 4 When the person is
2004 2003 2002 2001 2000 1999 1998 1997	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! (a) (i) Draw good diagrams (ii) Hooke's Law: F = k(l - l_o) (b) Tricky (a) Draw a clear diagram. (b) The worst situation will be weare 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3 Rating: 4 Rating: 4 Rating: 5 Rating: 4 When the person is
2004 2003 2002 2001 2000 1999 1998 1997	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! (a) (i) Draw good diagrams (ii) Hooke's Law: F = k(l - l_o) (b) Tricky (a) Draw a clear diagram. (b) The worst situation will be we just at the top of one of the ladders: assume the ladder is one 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 4 Rating: 4 Rating: 3 Rating: 5 Rating: 4 when the person is in the point of
2004 2003 2002 2001 2000 1999 1998 1997 1996	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! (a) (i) Draw good diagrams (ii) Hooke's Law: F = k(l - l_o) (b) Tricky (a) Draw a clear diagram. (b) The worst situation will be we just at the top of one of the ladders: assume the ladder is or slipping at this point. 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 3 Rating: 4 Rating: 4 Rating: 5 Rating: 4 When the person is
2004 2003 2002 2001 2000 1999 1998 1997	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! (a) (i) Draw good diagrams (ii) Hooke's Law: F = k(l - l_o) (b) Tricky (a) Draw a clear diagram. (b) The worst situation will be we just at the top of one of the ladders: assume the ladder is of slipping at this point. (i) Get 3 equations for the system and three for AB. 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 4 Rating: 4 Rating: 5 Rating: 4 Then the person is a the point of Rating: 4
2004 2003 2002 2001 2000 1999 1998 1997 1996	 (b) Get 3 equations for the system and 3 for the lighter rod first to slip). (a) Straightforward ladder question. (b) Not difficult: just get forces and angles. Reasonably straightforward. The rod is perpendicular to the of contact. Clear thinking needed. (a) Too tricky for a part (a) (b) Off-putting apparatus. (a) Straightforward ladder question. (b) Not too bad (a) You must know all about angle of friction: tan λ = μ (b) Not bad. It's easy to get equations but hard to get the answer! (a) (i) Draw good diagrams (ii) Hooke's Law: F = k(l - l_o) (b) Tricky (a) Draw a clear diagram. (b) The worst situation will be we just at the top of one of the ladders: assume the ladder is or slipping at this point. 	(as it will be the Rating: 3 Rating: 3 e radius at the point Rating: 3 Rating: 4 Rating: 4 Rating: 5 Rating: 4 Then the person is a the point of Rating: 4

		Rating: 4
1994	Get 3 equations for the system and 3 for the rod on the point	nt of slipping.
		Rating: 3
1993	(i) Good diagram needed. Be careful with moments.	
	(ii) New diagram and new equations.	Rating: 4
1992	(a) Tricky trigonometrical equations here.	
	(b) (i) OK (ii) Ugh!	Rating: 5
1991	(i) There will be a normal reaction at the peg and a friction	
	(iii) Solve for tan θ and show that the quadratic equation ha	s no solution.
		Rating: 5
1990	(a) Be precise!	
	(b) Straightforward rod question.	Rating: 3
1989	(i) Simultaneous equations. (ii) OK (iii) You may have to	
	to find the least force.	Rating: 4
1988	(a) Assume there are forces X (horizontal) and Y (vertical)	
	a normal reaction at the peg (which is not half-way down)	
	that $Y = 0$. (iii) Just find X in terms of W.	Rating: 4
1987	(i) First find the distance from P to the point of contact. The	e normal reaction
	at the point of contact will be perpendicular to the rod.	
	(ii) Just two equations will do for the rod: the moments can	
1006	don't know its length.	Rating: 5
1986	Definitions and a rather straightforward ladder problem.	Rating: 3
1985	(i) Don't forget: a metre stick is one metre long! (ii) OK (ii)	· —
1004	() TDI	Rating: 4
1984	(a) Theorem: If three forces act on a body, then their lines	
	concurrent. Hence the line of the string goes through the co	
1002	(b) The above theorem again applies!	Rating: 5
1983	No statics question!	

Q8: Moments of Inertia

2015		.• .
	(b) Regular maximum period: nice one too! No need for second deriv	
-	e answer is a minimum not a maximum. Rating: 2	
2014	(a) Proof of disc (b) The mass of the disc removed = 0.2M mean	
2012	the AREA of the hole is 0.2 of the area of the disc. Rating: 3	
2013	(a) Proof of disc (b) You can work out their distances from P using	
2012	Pythagoras. Rating: 3	
2012	(a) Proof of disc (b) You can solve using Conservation of energy or T	
2011	Principle of Angular Momentum: I prefer the former. (a) Provide the former (b) (i) Compared to the former (c) (ii) Compared to the former (c) (iii) Compared to the	
2011	(a) Proof for square lamina. (b) (i) Conservation of energy	
2010	(ii) Periodic time of compound pendulum Rating: 3	
2010	(a) Proof for the disc	
2000	(b) (i) Just change the limits (ii) Conservation of energy Rating: 3	
2009		
2000	(b) Three nice rods in a triangle. Rating: 2	
2008		41
1-4	(b) Be careful! This is not Q4 where pulleys are smooth. The tension	
	part of the string is greater than that in the left part. Use conservation of	
	ss in PE is equal to the gain in KE: the particles speed up and the disc s	
rotate.		
2007	•	
2006	(b) Find w when [ac] is vertical. Rating: 3 (c) Pod proof (b) (i) Energy equation (ii) Use circular motion theory.	
2000	(a) Rod proof (b) (i) Energy equation (ii) Use circular motion theory:	1' \
	$F_c = m\omega^2 r$, where F_c is the resultant force and $r = 0.6$ (the average ra	aius).
	Rating: 4	
2005	· · · · · · · · · · · · · · · · · · ·	
	the height will be negative when the centre of gravity is below this line	
•••	(ii) Show it still has speed when it reaches highest point. Rating: 4	
2004	(a) Disc proof. (b) Principle of conservation of energy: the particle's	
	$\frac{1}{2}mv^2$; the pulley's is $\frac{1}{2}I\omega^2$, where $v = \omega r$. Rating: 3	
2003	(a) Rod proof. (b) $T = 2\pi \sqrt{\frac{I}{mgh}}$ and $h = \frac{2}{3}(median - length)$.	
	Rating: 3	
2002		
2002		
	difference between these. Rating: 3	
2001	(a) Disc proof. (b) Tricky enough. Rating: 4	
2000	(a) Disc proof (b) At the bottom of the slope the disc is both moving	
rolling	g, so its KE = $\frac{1}{2}mv^2 + \frac{1}{2}I\omega^2$. Rating: 3	
1999	(a) Rod proof. (b) (i) Solve an equation (ii) Let distance $= x$ and solve	ve a
	quadratic equation. (iii) Differentiate T^2 with respect to x . Rating: 4	
1998	(a) Rod proof (endpoint) (b) Look up textbook! (c) (i) OK (ii) First	find the
	height which the centre reaches, then the endpoint. Rating: 4	

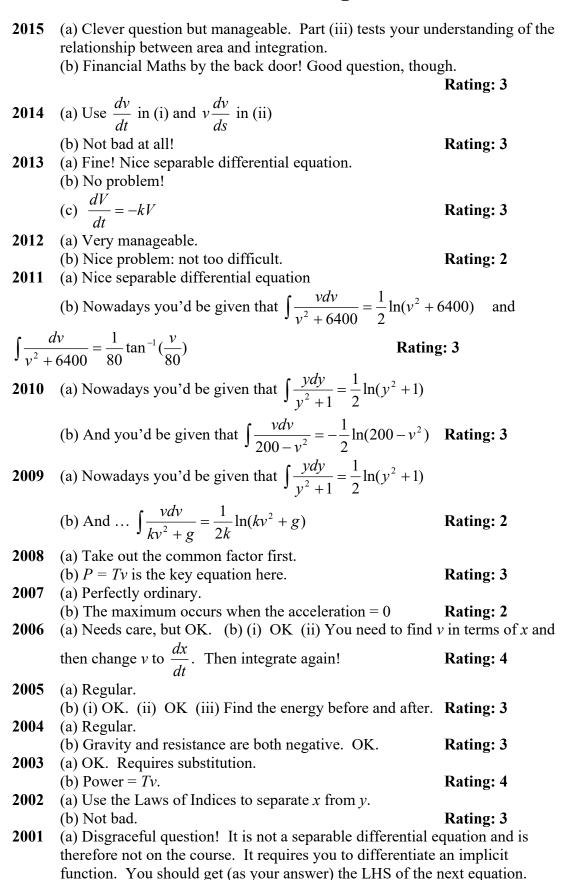
1997	(a) Disc proof. (b) (i) First find the moment of inertia about a diameter		
	through C: the formula is $\frac{1}{4}mr^2$. Then use Parallel Axes '		
1996	(ii) Differentiate T^2 with respect to x .	Rating: 4	
1990	(a) Disc proof.(b) Tricky but do-able.	Rating: 3	
1995	(a) Square lamina proof.	Rating. 5	
2770	(b) Differentiate T^2 with respect to x .	Rating: 3	
1994	(i) $T = 2\pi \sqrt{\frac{I}{mgh}}$ (ii) Use the horizontal line through p as	•	
	be negative when the rod is below this line.	Rating: 4	
1993	(a) Rod proof (it should read $\frac{1}{3}ml^2$)		
	(b) (i) Find the minimum value of ω , then switch to v .		
	(ii) Regular periodic time question.	Rating: 3	
1992	(a) Disc proof.		
	(b) When finding h , you can say that the two m s at q and s	-	
1991	2m at the centre. (a) Red proof (b) Regular periodic time question	Rating: 4	
1991	(a) Rod proof (b) Regular periodic time question.(a) Square lamina proof. (b) (i) Very good diagram helps.	Rating: 3	
1770	mass. Solve an equation.	Rating: 4	
1989	(a) Disc proof. (b Differentiate T^2 with respect to x .	Rating: 3	
1988	(a) Rod proof.	ð	
	(b) See 2003	Rating: 2	
1987	(a) Annulus proof. Be careful! It says 'diameter', not 'rad		
1007	(b) Straightforward.	Rating: 4	
1986	(a) Disc proof.(b) Let s = the distance travelled. At the bottom of the slop	a the dise is both	
	moving and rolling, so its KE = $\frac{1}{2}mv^2 + \frac{1}{2}I\omega^2$. Find v and		
	acceleration.		
1985	(i) Use Pythagoras to find all lengths. Tricky! (ii) T formu	Rating: 3	
1703	(iii) Differentiate T^2 with respect to x .	Rating: 4	
1984	An elegant question with a clever quadratic equation. Nice		
	don't make any mistakes.	Rating: 3	
1983	Q6: (i) This question should not have been asked, as triang		
	course. You have to divide the triangle into horizontal strip		
	triangles to find an expression for their lengths. Then integ		
	(ii) Ugh!! (iii) Horrendous	Rating: 5 ⁺	

Q9: Hydrostatics

2015	(a) Not particularly nice part (a)	
	(b) Nasty rocks ahoy, mateys! Tricky to understand. It gave	e a lot of students a
	sinking feeling.	Rating: 4
2014	(a) Needs very clear thought. Nasty!	
	(b) Fiercely tricky	Rating: 5
2013	(a) Careful now!	
	(b) Where's the picture, Mr Examiner?	Rating: 4
2012	(a) Nice easy start.	
	(b) Classic hydrostatics on a rod in a liquid.	Rating: 3
2011	(a) When overflowing starts, oil = 24 and water = h .	
	(b) Needs very clear understanding.	Rating: 4
2010	(a) A bit yukky for the first part!	
	(b) Let $x = $ length of immersed part	Rating: 4
2009	(a) Not easy: tricky and long.	
	(b) Regular rod tilted in liquid. OK	Rating: 4
2008	(a) Not too easy.	
	(b) Quite tricky.	Rating: 4
2007	(a) Not bad.	
	(b) Tricky	Rating: 4
2006	(a) The fact that it contracts means the volume is less – that	
	(b) (i) Maximum buoyancy will be if it is all under water. (
2005	(iii) Nice.	Rating: 4
2005	(a) Volume, mass, density, etc	D 41 2
2004	(b) Statics problem. OK.	Rating: 3
2004	(a) U-tube. Pressure at the same level in the same liquid is	
	(b) Must know where centre of gravity of a triangle is at the	
2003	thirds of the way along a median. (a) (i) OK (ii) Should not have been asked as the syllabus i	Rating: 3
2003	on a horizontal surface". However, thrust = P_c . A, where P_c	
	the centre and A is the area. (iii) Likewise.	is the pressure at
	(b) Tricky!	Rating: 5
2002	(a) Very tricky part (a).	Rating. 5
2002	(b) Tricky enough. Archimedes' Principle applied.	Rating: 4
2001	(a) Clear thinking needed.	
	(b) Let x be the length of the immersed part.	Rating: 4
2000	(a) Not easy for a part (a).	
	(b) Rather complicated – hard to get one's head around this	problem!
		Rating: 5
1999	(a) U-tube problem: OK.	<u>C</u>
	(b) Reasonable Archimedes' Principle problem.	Rating: 3
1998	(a) Thrust on a vertical surface is not on the course. However	ver, see 2003.
	(b) Tricky statics problem.	Rating: 4
1997	(a) Reasonable weight problem.	
	(b) Rather complicated problem – hard to solve.	Rating: 4
1996	(a) Statics problem. OK.	
	(b) Relative density. OK.	Rating: 3
1995	(a) OK relative density problem.	

	(b) Nice problem about volumes and density. In the third of	case the object is
	force under water.	Rating: 3
1994	(a) Nice question about density, volume, mass.	
	(b) Tricky problem.	Rating: 4
1993	(a) Regular relative density problem.	
	(b) Statics problem: reasonable.	Rating: 3
1992	(a) Tricky for part (a).	
	(b) See 2003 about thrust on a vertical surface.	Rating: 5
1991	2 1	Rating: 4
1990	(a) Very tricky for a part (a).	
	(b) OK, despite error in question.	Rating: 5
1989	(a) Tricky problem.	
	(b) Clever problem involving forces.	Rating: 4
1988	Reasonable problem of forces.	Rating: 3
1987	(a) Tricky – especially part (ii)	
	(b) Reasonable forces problem.	Rating: 4
1986	(a) Tricky part (a). It involves thrust on a vertical surface, course. See 2003.	which is not on the
	(b) Clever question of Archimedes' Principle.	Rating: 4
1985	(a) Difficult relative density problem. (b) OK question on	forces.
		Rating: 4
1984	(a) Reasonable relative density problem.	
	(b) Must know SHM theory. Tricky. See textbook.	Rating: 4
1983	(a) OK. U-tube problem. (b) Archimedes' Principle.	Rating: 3

10. Differential Equations



	Then say, "If the differentiation of $\frac{y}{x}$ is $\frac{1}{x}$ then $\frac{y}{x} = \int \frac{1}{x} dx$ and	nd proceed using a
	constant of integration (not limits). The only person to get sadistic examiner who set it. He should be punished by being Goldbach's Conjecture – and left in solitary confinement ut (b) OK problem.	it right was the ing asked to prove
2000	(a) Take a common factor out of the first two terms. Quadreded. (b) Be careful with the fractions.	ratic formula Rating: 3
1999	(a) Nice separable differential equation.(b) Disgrace. The integration involved is not on the course up the Maths tables to find it. Thrust is another name for a degree of accuracy is needed.	! You need to look
1998	(a) Nice. (b) (i) Clever (ii) You can change v in the previous	
1997	You have to remember that k and u are constants.(a) Common factor.(b) Nice problem.	Rating: 3 Rating: 2
1996	(a) You must know that $\ln e^x = x$.	g
	(b) (i) Draw a diagram for the particle on the way up. Both negative. (ii) On the way down, downwards is positive, so and the resistance is negative.	
1995	(a) Fine. (b) Gravity is positive, resistance is negative.	Rating: 3
1994	 (a) Common factor. Then let u = 1 + x. Tricky. (b) Power = Tv = 75000. Now get the force equation of more 	otion. Rating: 4
1993 1992	(a) Substitution.(b) (i) Logic!(ii) Nice integration.(a) Easy!(So long as you know your trigonometrical integration)	Rating: 3
	(b) Use $a = v \frac{dv}{ds}$ and then $a = \frac{dv}{dt}$	Rating: 4
1991	(a) Add $\frac{1}{y} + y$ first!	
1990	(b) Keep a clear head: it's not that difficult!(a) The amended version is easy – the original integration r fractions which are no longer on the course.	Rating: 3 required partial
	(b) (i) Logic! (ii) Requires cleverness to link the two equat	tions. (The second
	is got by changing v to $\frac{dx}{dt}$.	Rating: 4
1989	(a) Common factor. (b) Use $a = v \frac{dv}{ds}$ and then $a = \frac{dv}{dt}$.	Average speed is
1988	total distance over total time. (a) Be careful! Either divide out the common factor (4) or (b) Multiply by 1000. Use radian mode of calculator to fin	Rating: 4 let $u = 2x$.
1987	(a) Use substitution. (b) Holy Moly! What a question. The (Tv) never changes, as the train heads from the flat to the half a monster! If you can solve this one, you can solve any!	
1986	(a) OK (b) Use $a = v \frac{dv}{ds}$ and then $a = \frac{dv}{dt}$.	Rating: 4

1985 (a) Use substitution. (b) Average speed is total distance over total time.

Rating: 4

1984 (a) Let the time be t. Then find the limit of v as t tends to infinity.

(b) Use
$$a = v \frac{dv}{ds}$$
 and then $a = \frac{dv}{dt}$. Rating: 3

- 1983 (a) The integration of $\cot x$ is in the Mathematical Tables. You may use substitution also.
 - (b) Clever question (despite error in original question). Leave the i out of the equation. **Rating: 3**